



## Hybrid Policies

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- Chinese Wall Model
  - Focuses on conflict of interest
  - Combines integrity and confidentiality
- ~~ORCON~~
  - Neither mandatory nor discretionary access control
- RBAC
  - Base controls on job function
- ~~CISS Policy~~

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## Chinese Wall Model

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- Introduced by Brewer-Nash in 1989
- Problem:
  - Consultant advises Bank1 and Bank2 about investments
  - Conflict of interest: his advice for either bank would affect his advice to the other bank
- Solution
  - Consultant can only access objects on his side of the wall
- Organization
  - Organize entities into "conflict of interest" classes
  - Control read accesses based on COI and access history
  - Control writing to all classes to ensure information is not passed along in violation of rules
  - No control over sanitized data (no conflict)

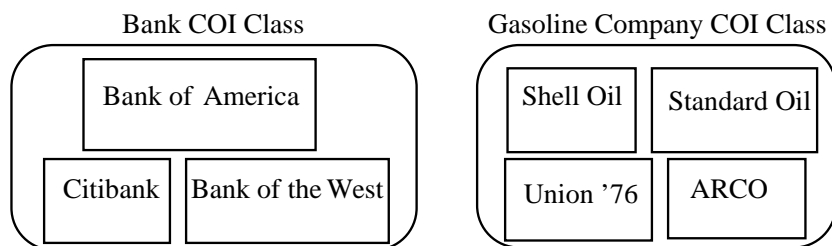
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## Definitions

- *Objects* : items of information related to a company
- *Company dataset* (CD): collection of objects related to a single company
  - Written  $CD(o)$
- *Conflict of interest class* (COI): collection of datasets of companies in competition
  - Written  $COI(o)$
- Assumption: each object belongs to exactly one *CD* and each *CD* to one *COI* class

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## Example



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## Temporal Element

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- Rights depend on access history
- Initially, a subject can read any object in any CD of any COI
- If a subject reads an object in a CD in a COI, he can *never* read an object in another CD in the same COI
  - Possible that information learned earlier may allow him to make decisions later
- $PR(s)$  denotes the set of objects that a subject  $s$  has already read

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## Sanitization

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- Public information may belong to a CD
  - As is publicly available, no conflicts of interest arise
  - So, should not affect ability of subject to read
  - Typically, all sensitive data removed from such information before it is released publicly (called *sanitization*)

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## CW-Simple Security Condition

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$s$  can read  $o$  iff any of these conditions holds:

1. There is an  $o'$  such that  $o' \in PR(s)$  and  $CD(o') = CD(o)$ 
  - Meaning  $s$  has read something else in  $o$ 's dataset
2. For all  $o' \in O$ ,  $o' \in PR(s) \Rightarrow COI(o') \neq COI(o)$ 
  - Meaning  $s$  has not read any objects in  $COI(o)$
3.  $o$  is a sanitized object

Initially,  $PR(s) = \emptyset$ , so any initial read request is granted

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## What about writing

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- Alice and Bob work in same trading house
- Alice can read objects in Citibank's CD and in Shell's CD
- Bob can read objects in Bank of America's CD and in Shell's CD
- If Alice could write (information from Citibank's objects) to objects in Shell's CD, then Bob can read it
  - Hence, indirectly, he can read information from Citibank's CD, a clear conflict of interest

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## CW-\*-Property

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$s$  can write to  $o$  if and only if :

1. The CW-simple security condition permits  $s$  to read  $o$ 
  - No blind writes as in BLP

**and**
2. For all *unsanitized* objects  $o'$ , if  $s$  can read  $o'$ , then  $CD(o') = CD(o)$ 
  - Says that  $s$  can write to an object if all the objects it can read are in the same dataset or sanitized

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## Compare to Bell-LaPadula

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- Fundamentally different
  - ChW has no security labels, BLP does
  - ChW has notion of past accesses, BLP does not
- BLP can capture state at any time, but cannot track changes over time
  - Each (COI, CD) pair gets security category
  - Two clearances,  $S$  (sanitized) and  $U$  (unsanitized)
    - $U \text{ dom } S$
  - Subjects assigned clearance for compartments that do not have categories corresponding to CDs in the same COI class

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## RBAC (<http://csrc.nist.gov/rbac/>)

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- A policy-neutral model, that can express both DAC (role as identity) and MAC (role as clearance)
- Access/right often depends on role (job function), not on identity
  - Example:
    - Allison, bookkeeper, has access to financial records.
    - Bob hired to replace Allison as the new bookkeeper
    - Bob now has access automatically to those records
  - The role of "bookkeeper" determines access, not the identity of the individual, and 'connects' the subject to the permission(s).

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## Definitions

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- Role  $r$ : collection of job functions
  - $trans(r)$ : set of authorized transactions for  $r$
- Active role of subject  $s$ : the role  $s$  is currently in
  - $actr(s)$
- Authorized roles of  $s$ : set of roles  $s$  can assume
  - $authr(s)$
- $canexec(s, t)$  is true if and only if subject  $s$  can execute transaction  $t$  at current time

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## Axioms (mandatory style)

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$S$  the set of subjects;  $T$  the set of transactions.

- *Rule of role assignment:*

$(\forall s \in S)(\forall t \in T) [canexed(s, t) \rightarrow actr(s) \neq \emptyset]$ .

- If  $s$  can execute a transaction, it has a role
- This ties transactions to roles, not users

- *Rule of role authorization:*

$(\forall s \in S) [actr(s) \subseteq authr(s)]$ .

- Subject must be authorized to assume an active role (otherwise, any subject could assume any role)

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## Axiom

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- *Rule of transaction authorization:*

$(\forall s \in S)(\forall t \in T)$   
 $[canexed(s, t) \rightarrow t \in trans(actr(s))]$ .

- A subject  $s$  can execute a transaction only if the transaction is authorized one for the role  $s$  has assumed (active)

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## Containment of Roles

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- Trainer can do all the transactions that trainee can do (and then some). This means role  $r$  contains role  $r'$  ( $r > r'$ ). So:  
 $(\forall s \in \mathcal{S}) [ r' \in \text{auth}(s) \wedge r' > r \rightarrow r \in \text{auth}(s) ]$   
 $(\forall t \in \mathcal{T}) [ t \in \text{trans}(r) \wedge r' > r \rightarrow t \in \text{trans}(r') ]$
- The set of roles is organized in a hierarchy (partial order)

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## Separation of Duty (static)

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- For  $r$  a role, the predicate  $\text{meauth}(r)$  (for *mutually exclusive authorizations*) is the set of roles that a subject  $s$ , for which  $r \in \text{auth}(s)$ , cannot assume because of some separation of duty requirement.
- Separation of duty constraint:  
 $(\forall r_1, r_2 \in R) [ r_2 \in \text{meauth}(r_1) \rightarrow$   
 $[ (\forall s \in \mathcal{S}) [ r_1 \in \text{auth}(s) \rightarrow r_2 \notin \text{auth}(s) ] ] ]$

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