

# Resource Allocation Denial

- Referred to as the banker's algorithm
- State of the system is the current allocation of resources to process
- Safe state is where there is at least one sequence that does not result in deadlock
- Unsafe state is a state that is not safe

# Determination of a Safe State

	R1	R2	R3		R1	R2	R3		R1	R2	R3
P1	3	2	2	P1	1	0	0	P1	2	2	2
P2	6	1	3	P2	6	1	2	P2	0	0	1
P3	3	1	4	P3	2	1	1	P3	1	0	3
P4	4	2	2	P4	0	0	2	P4	4	2	0
Claim matrix C				Allocation matrix A				C - A			
	R1	R2	R3		R1	R2	R3				
	9	3	6		0	1	1				
Resource vector R				Available vector V							

(a) Initial state

- Is there a run that will bring all processes to completion?

# Determination of a Safe State

	R1	R2	R3		R1	R2	R3		R1	R2	R3
P1	3	2	2	P1	1	0	0	P1	2	2	2
P2	6	1	3	P2	6	1	2	P2	0	0	1
P3	3	1	4	P3	2	1	1	P3	1	0	3
P4	4	2	2	P4	0	0	2	P4	4	2	0
Claim matrix C				Allocation matrix A				C - A			
	R1	R2	R3		R1	R2	R3				
	9	3	6		0	1	1				
Resource vector R				Available vector V							

(a) Initial state

- Is there a run that will bring all processes to completion?
- Is there an allocation which can bring 1 process to completion?

# Determination of a Safe State

## P2 Runs to Completion

	R1	R2	R3
P1	3	2	2
P2	0	0	0
P3	3	1	4
P4	4	2	2

Claim matrix **C**

	R1	R2	R3
P1	1	0	0
P2	0	0	0
P3	2	1	1
P4	0	0	2

Allocation matrix **A**

	R1	R2	R3
P1	2	2	2
P2	0	0	0
P3	1	0	3
P4	4	2	0

**C - A**

R1	R2	R3
9	3	6

Resource vector **R**

R1	R2	R3
6	2	3

Available vector **V**

(b) P2 runs to completion

# Determination of a Safe State

## P1 Runs to Completion

	R1	R2	R3
P1	0	0	0
P2	0	0	0
P3	3	1	4
P4	4	2	2

Claim matrix **C**

	R1	R2	R3
P1	0	0	0
P2	0	0	0
P3	2	1	1
P4	0	0	2

Allocation matrix **A**

	R1	R2	R3
P1	0	0	0
P2	0	0	0
P3	1	0	3
P4	4	2	0

**C - A**

R1	R2	R3
9	3	6

Resource vector **R**

R1	R2	R3
7	2	3

Available vector **V**

(c) P1 runs to completion

# Determination of a Safe State

## P3 Runs to Completion

	R1	R2	R3
P1	0	0	0
P2	0	0	0
P3	0	0	0
P4	4	2	2

Claim matrix **C**

	R1	R2	R3
P1	0	0	0
P2	0	0	0
P3	0	0	0
P4	0	0	2

Allocation matrix **A**

	R1	R2	R3
P1	0	0	0
P2	0	0	0
P3	0	0	0
P4	4	2	0

**C - A**

R1	R2	R3
9	3	6

Resource vector **R**

R1	R2	R3
9	3	4

Available vector **V**

**(d) P3 runs to completion**

# Determining Unsafe State

	R1	R2	R3
P1	3	2	2
P2	6	1	3
P3	3	1	4
P4	4	2	2

Claim matrix **C**

	R1	R2	R3
P1	1	0	0
P2	5	1	1
P3	2	1	1
P4	0	0	2

Allocation matrix **A**

	R1	R2	R3
P1	2	2	2
P2	1	0	2
P3	1	0	3
P4	4	2	0

**C - A**

R1	R2	R3
9	3	6

Resource vector **R**

R1	R2	R3
1	1	2

Available vector **V**

(a) Initial state

	R1	R2	R3
P1	3	2	2
P2	6	1	3
P3	3	1	4
P4	4	2	2

Claim matrix **C**

	R1	R2	R3
P1	2	0	1
P2	5	1	1
P3	2	1	1
P4	0	0	2

Allocation matrix **A**

	R1	R2	R3
P1	1	2	1
P2	1	0	2
P3	1	0	3
P4	4	2	0

**C - A**

R1	R2	R3
9	3	6

Resource vector **R**

R1	R2	R3
0	1	1

Available vector **V**

(b) P1 requests one unit each of R1 and R3

- Unsafe but not necessarily deadlock
  - P1 blocked or p1 releases resources it already has in the mean time

# Deadlock Avoidance Logic

```
struct state
{
    int resource[m];
    int available[m];
    int claim[n][m];
    int alloc[n][m];
}
```

(a) global data structures

```
if (alloc [i,*] + request [*] > claim [i,*])
    < error >;                                /* total request > claim*/
else if (request [*] > available [*])
    < suspend process >;
else                                           /* simulate alloc */
{
    < define newstate by:
    alloc [i,*] = alloc [i,*] + request [*];
    available [*] = available [*] - request [*] >;
}
if (safe (newstate))
    < carry out allocation >;
else
{
    < restore original state >;
    < suspend process >;
}
```

(b) resource alloc algorithm



# Deadlock Avoidance Logic

```
boolean safe (state S)
{
    int currentavail[m];
    process rest[<number of processes>];
    currentavail = available;
    rest = {all processes};
    possible = true;
    while (possible)
    {
        <find a process  $P_k$  in rest such that
            claim [k,*] - alloc [k,*] <= currentavail;>
        if (found)                                /* simulate execution of  $P_k$  */
        {
            currentavail = currentavail + alloc [k,*];
            rest = rest - { $P_k$ };
        }
        else
            possible = false;
    }
    return (rest == null);
}
```

(c) test for safety algorithm (banker's algorithm)

# Deadlock Avoidance

- Maximum resource requirement must be stated in advance
- Processes under consideration must be independent; no synchronization requirements
- There must be a fixed number of resources to allocate
- No process may exit while holding resources

# Deadlock Detection Algorithm

- Matrix Q (requests) and A (allocated)
- Vector Available
- Algorithm:
  1. Mark each process that has all 0 in A
  2. Initialize vector W to equal Available vector
  3. Search for  $P_i$  unmarked such that  $Q(i) \leq W(i)$ 
    1. If not exists: break;
    2. If exists,
      1. update  $W(i) = W(i) + A(i)$ ;
      2. Mark  $P_i$ .
      3. go to 3;

# Strategies once Deadlock Detected

- Abort all deadlocked processes
- Back up each deadlocked process to some previously defined checkpoint, and restart all process
  - Original deadlock may occur
- Successively abort deadlocked processes until deadlock no longer exists
- Successively preempt resources until deadlock no longer exists

# Selection Criteria Deadlocked Processes

- Least amount of processor time consumed so far
- Least number of lines of output produced so far
- Most estimated time remaining
- Least total resources allocated so far
- Lowest priority

# Dining Philosophers Problem

- Each philosopher requires 2 forks to eat
- Build an algorithm that allows philosophers to eat
  - Mutual exclusion (not same fork by two people)
  - No starvation
  - No deadlock

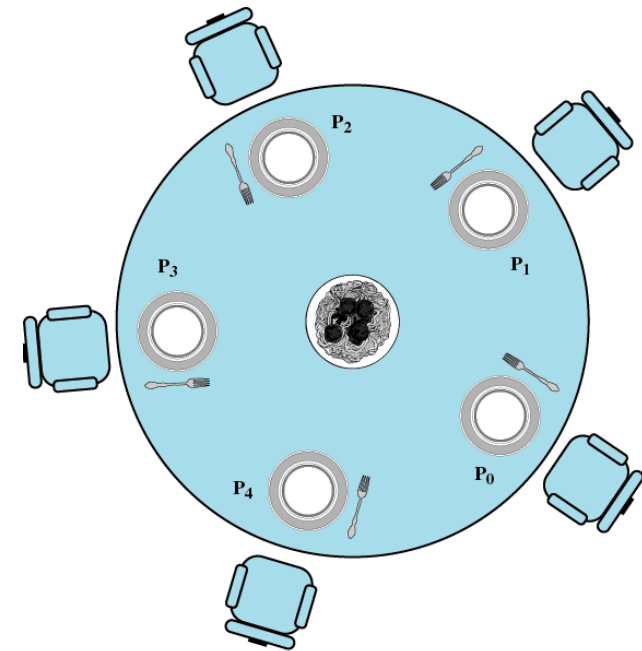


Figure 6.11 Dining Arrangement for Philosophers

# Dining Philosophers Problem

```
/* program      diningphilosophers */
semaphore fork [5] = {1};
int i;
void philosopher (int i)
{
    while (true)
    {
        think();
        wait (fork[i]);
        wait (fork [(i+1) mod 5]);
        eat();
        signal(fork [(i+1) mod 5]);
        signal(fork[i]);
    }
}
void main()
{
    parbegin (philosopher (0), philosopher (1), philosopher (2),
              philosopher (3), philosopher (4));
}
```

**Figure 6.12** A First Solution to the Dining Philosophers Problem

# Dining Philosophers Problem

```
/* program    diningphilosophers */
semaphore fork [5] = {1};
int i;
void philosopher (int i)
{
    while (true)
    {
        think();
        wait (fork[i]);
        wait (fork [(i+1) mod 5]);
        eat();
        signal(fork [(i+1) mod 5]);
        signal(fork[i]);
    }
}
void main()
{
    parbegin (philosopher (0), philosopher (1), philosopher (2),
              philosopher (3), philosopher (4));
}
```

**Figure 6.12** A First Solution to the Dining Philosophers Problem

## All Starve!



# Dining Philosophers Problem

Idea: At most 4 are at the table

# Dining Philosophers Problem

```
/*program diningphilosophers */
semaphore fork[5] = {1};
semaphore room = {4};
int i;
void philosopher (int I)
{
    while (true)
    {
        think();
        wait (room);
        wait (fork[i]);
        wait (fork [(i+1) mod 5]);
        eat();
        signal (fork [(i+1) mod 5]);
        signal (fork[i]);
        signal (room);
    }
}
void main()
{
    parbegin (philosopher (0), philosopher (1), philosopher (2),
              philosopher (3), philosopher (4));
}
```

**Figure 6.13** A Second Solution to the Dining Philosophers Problem